

# Tensorial tomographic Fourier ptychography with applications to muscle tissue imaging

Shiqi Xu<sup>ⓧ,a</sup>, Xi Yang,<sup>a</sup> Paul Ritter,<sup>b</sup> Xiang Dai,<sup>a,c</sup> Kyung Chul Lee,<sup>a,d</sup> Lucas Kreiss,<sup>a,b</sup> Kevin C. Zhou,<sup>a,e</sup> Kanghyun Kim,<sup>a</sup> Amey Chaware,<sup>a</sup> Jadee Neff<sup>ⓧ,f</sup>, Carolyn Glass,<sup>f</sup> Seung Ah Lee<sup>ⓧ,d</sup>, Oliver Friedrich,<sup>b</sup> and Roarke Horstmeyer<sup>a,\*</sup>

<sup>a</sup>Duke University, Durham, North Carolina, United States

<sup>b</sup>Friedrich-Alexander University, Erlangen, Germany

<sup>c</sup>UC San Diego, La Jolla, California, United States

<sup>d</sup>Yonsei University, Seoul, Republic of Korea

<sup>e</sup>UC Berkeley, Berkeley, California, United States

<sup>f</sup>Duke University Medical Center, Durham, North Carolina, United States

**Abstract.** We report tensorial tomographic Fourier ptychography ( $T^2oFu$ ), a non-scanning label-free tomographic microscopy method for simultaneous imaging of quantitative phase and anisotropic specimen information in 3D. Built upon Fourier ptychography, a quantitative phase imaging technique,  $T^2oFu$  additionally highlights the vectorial nature of light. The imaging setup consists of a standard microscope equipped with an LED matrix, a polarization generator, and a polarization-sensitive camera. Permittivity tensors of anisotropic samples are computationally recovered from polarized intensity measurements across three dimensions. We demonstrate  $T^2oFu$ 's efficiency through volumetric reconstructions of refractive index, birefringence, and orientation for various validation samples, as well as tissue samples from muscle fibers and diseased heart tissue. Our reconstructions of healthy muscle fibers reveal their 3D fine-filament structures with consistent orientations. Additionally, we demonstrate reconstructions of a heart tissue sample that carries important polarization information for detecting cardiac amyloidosis.

Keywords: computational imaging; three-dimensional imaging; phase retrieval microscopy; polarization-sensitive imaging; label-free imaging.

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## 1 Introduction

Quantitative phase imaging (QPI) is a well-known label-free microscopy approach that can detect phase delay introduced by semitransparent cells and tissue.<sup>1</sup> Due in part to its ability to provide quantitative information about primarily transparent biological specimens with low phototoxicity, QPI has become an invaluable tool in scientific and clinical studies, including for monitoring neuronal firing<sup>2</sup> and cancer cell line detection,<sup>3</sup> to name a few. Besides scalar phase contrast, transparent specimens also exhibit alternative and important endogenous optical contrast mechanisms, including anisotropic properties such as

material birefringence and orientation. Indeed, the orientation of molecular arrangements in lipid membranes can now be quantitatively monitored with polarization-sensitive microscopes for studying multi-organelle interactive activities.<sup>4,5</sup> There are naturally a variety of polarization-sensitive microscope arrangements, including early analog designs,<sup>6,7</sup> differential interference contrast (DIC) methods,<sup>8</sup> and contemporary digital approaches that reconstruct quantitative specimen retardance and orientation.<sup>9-11</sup> These methods have been applied to study small model organisms<sup>12,13</sup> and to assist clinical diagnosis.<sup>14-17</sup>

Recently, there has been increased interest in measuring polarization-sensitive phase information from specimens. In general, polarization-sensitive quantitative phase imaging (PS-QPI) methods can be divided into two categories: those that rely on interferometric detection, and those that utilize computational

\*Address all correspondence to Roarke Horstmeyer, [roarke.w.horstmeyer@duke.edu](mailto:roarke.w.horstmeyer@duke.edu)

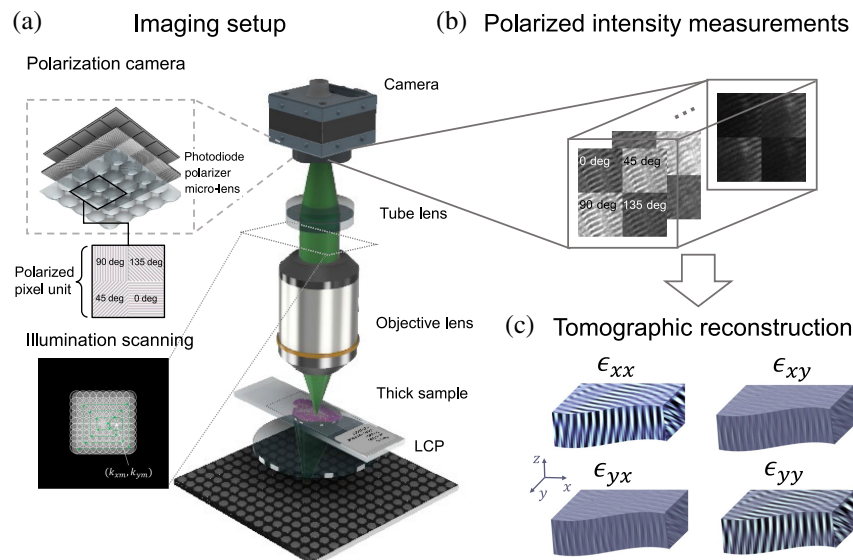
phase-retrieval methods. Interferometric methods (e.g., off-axis holography) can create polarization-sensitive phase images with as few as a single measurement,<sup>18–21</sup> and can be extended to 3D with diffraction tomography approaches.<sup>22–25</sup> While often impressive, these methods usually require complex arrangements of coherent laser illumination and careful system alignment, which sets additional design requirements for use in clinical applications. Computational phase-retrieval methods, on the other hand, rely on image reconstruction algorithms that convert multiple intensity measurements into phase-sensitive outputs<sup>26–32</sup> and can be implemented with less expensive hardware. Due to their simple instrumentation, computational polarization microscopes have been increasingly applied to image biological samples, for instance, to study white matter tracts within whole brain slices,<sup>29</sup> to diagnose malaria from blood smears,<sup>27</sup> and to identify calcium phosphate crystal from urine samples.<sup>32</sup> Furthermore, these methods have been extended to image 3D samples, such as axons and cardiac tissue with axial scanning.<sup>33,34</sup> Thick samples such as organoids and tissue slices also naturally have intriguing 3D structures that can include anisotropic material. Creating high-resolution volumetric representations of the polarization properties of these samples is essential to studying biology and pathology. While tomographic imaging methods such as confocal-based approaches have been developed in the past to image muscle tissue and neural organoids for instance,<sup>35,36</sup> there remain relatively few microscopic techniques to jointly capture quantitative phase and anisotropy across a large 3D volume at high resolution. One very recent study attempted to create 3D anisotropy maps using off-axis LED illumination but did not provide tomographic permittivity matrix reconstructions.<sup>37</sup>

Here, we propose a non-scanning polarization-sensitive tomography method, termed tensorial tomographic Fourier ptychography (T<sup>2</sup>oFu), to create quantitative volumetric permittivity matrix reconstructions without any moving parts. Our method is an extension of recently developed intensity optical diffraction tomography principles<sup>38–44</sup> and has the potential to be extended to a video-rate system in the future.<sup>38</sup> We image a variety of calibration targets, as well as 3D tissue and muscle fiber samples, through which we demonstrate the ability to resolve the fine-filament structure that resembles the results demonstrated in the literature.<sup>35</sup> Additionally, we demonstrate reconstructions of a heart tissue sample that carries important information for detecting cardiac amyloidosis.

## 2 Methods

### 2.1 Experimental Setup

The imaging setup of T<sup>2</sup>oFu is illustrated in Fig. 1(a). The illumination consists of an array of  $25 \times 25$  addressable LEDs ( $\mu$ Inventions Inc.; Portugal) and a left-circular polarizer (CP42HE; Edmund Co., USA). About 521 nm wavelength light from the LED array is circularly polarized and illuminates the 3D sample from different angles. A microcontroller (ARM Cortex-M3) and a voltage level shifter (SN74AHCT) are used to turn on each small LED pixel (WS2812b-2020) sequentially. The optical field then passes through an optical system consisting of an infinity-corrected objective (0.25 NA or 0.4 NA, Plan Achromatic; Olympus, Japan) and a tube lens (Achromatic Doublets, 180 mm focal length; Thorlabs, Inc., USA). The largest illumination NA ( $NA_{\text{illum}}$ ) is chosen to match the native



**Fig. 1** Workflow of the proposed method. (a) An illustration of T<sup>2</sup>oFu's experimental setup. Green light from an addressable LED array is circularly polarized with a left circular polarizer to illuminate the sample. Sequential illuminations from various angles are used to scan the object in the spatial frequency domain. The sample is then imaged with an infinity-corrected optical system. The polarized light intensities at 0 deg, 45 deg, 90 deg, and 135 deg are recorded with a polarization-sensitive CMOS camera as images illustrated in (b). (c) Those intensity measurements are then fused to form volumetric sample permittivity tensor reconstructions by solving the corresponding inverse problem.

NA of the objective ( $NA_{\text{obj}}$ ). The intensity image is captured with a polarization-sensitive CMOS camera (BFS-U3-51S5P; Teledyne FLIR LLC, Oregon). The polarization camera analyzes the light orientated at four different polarizations (0 deg, 45 deg, 90 deg, and 135 deg), achieved by placing  $2 \times 2$  wire-grid polarizers between the pixel array and the microlens array, as illustrated in the m-dashed box in Fig. 1(a). Exemplary intensity images under illumination from different angles are shown in the box in Fig. 1(b).

## 2.2 Principles of Tensorial Tomographic Fourier Ptychography

### 2.2.1 Notation

Here we introduce the notation we use in the rest of this article. First, we use  $\vec{\cdot}$  and  $\bar{\cdot}$  symbols to denote vectors and matrices for variables, respectively. By default, all the vectors in this article are column vectors. Second, we utilize the *Mathematical Script* font enclosed in curly braces to denote spatial operators. As an example, one frequently used operator is  $\mathcal{F}\{\cdot\}$ , which indicates the Fourier transform in space. Next, bold letters in lowercase represent support vectors in either frequency ( $\mathbf{u}$ ) or space ( $\mathbf{r}$ ). Finally, we utilize the  $\tilde{\cdot}$  symbol to denote the frequency-domain counterparts of variables previously defined in the space domain, such as  $\tilde{I}(\mathbf{u}) = \mathcal{F}\{I(\mathbf{r})\}$ .

### 2.2.2 Vectorial light propagation

The optical properties of a 3D sample can be described by its  $3 \times 3$  permittivity matrix,<sup>45</sup>

$$\bar{\epsilon} = \begin{bmatrix} \epsilon_{xx}(\mathbf{r}) & \epsilon_{xy}(\mathbf{r}) & \epsilon_{xz}(\mathbf{r}) \\ \epsilon_{yx}(\mathbf{r}) & \epsilon_{yy}(\mathbf{r}) & \epsilon_{yz}(\mathbf{r}) \\ \epsilon_{zx}(\mathbf{r}) & \epsilon_{zy}(\mathbf{r}) & \epsilon_{zz}(\mathbf{r}) \end{bmatrix}, \quad (1)$$

where  $\mathbf{r} = (x, y, z)$  is the voxel position in space. Within the scope of this work, we adopt the first Born approximation,<sup>23,33</sup> and the scattered vectorial electric field  $\vec{E}^s$  and illumination  $\vec{E}^0$  are related as

$$\vec{E}^s(\mathbf{r}) = \iiint \bar{G}(\mathbf{r} - \mathbf{r}') \bar{V}(\mathbf{r}') \vec{E}^0(\mathbf{r}') d\mathbf{r}', \quad (2)$$

where  $\bar{V}(\mathbf{r}') = \bar{\epsilon} - \bar{\epsilon}_0$  is the sample scattering potential tensor with  $\bar{\epsilon}_0$  as the permittivity tensor of the background medium.  $\bar{G}(\mathbf{r})$  is the dyadic Green's tensor.<sup>46</sup> In addition, we use illuminations with relatively small incident angles, which have weak polarization along the  $z$  axis. Therefore, we mainly consider the transverse polarization of the electrical field,  $\vec{E}_\perp = (E_x, E_y)^T$ , which will be discussed in more detail in the next subsection. The intensities of the vectorial electric field  $\vec{E}_\perp$  at different orientations are then analyzed and recorded by a polarization-sensitive optical imaging system, which we model as a  $2 \times 2$  pupil matrix at each spatial frequency  $\mathbf{u}$ .<sup>31</sup> Therefore, the measured intensity under plane-wave illumination with angle  $\mathbf{u}'$  analyzed by a polarizer with Jones vector  $\vec{a}$  is

$$I(\mathbf{r}, \mathbf{u}') = |\vec{a}^T \mathcal{F}_{2d}^{-1} \{ \bar{P}(\mathbf{u}) \mathcal{F}_{2d} \{ \vec{E}_\perp^s(\mathbf{r}, \mathbf{u}') + \vec{E}_\perp^0(\mathbf{r}, \mathbf{u}') \} \}|^2. \quad (3)$$

For a linear polarization analyzer oriented at  $\alpha$ ,  $\vec{a} = [\cos \alpha, \sin \alpha]^T$ .<sup>31,47</sup> The intuition behind this is that light can only oscillate in the same direction as the linear polarizer.<sup>31</sup>

### 2.2.3 Forward model and inverse problem

For our initial demonstration of T<sup>2</sup>oFu, we modify the model discussed in Sec. 2.2.2 by making certain approximations. The objective of this is to craft a meaningful forward model that accurately describes our experimental measurements, whose inverse problem is less ill-posed. First, following Saba et al. and other closely relevant works in the literature,<sup>23,26,27,31</sup> we begin with a paraxial approximation, which assumes weak polarization along the optical axis of the illumination and negligible interaction between transverse and axial polarization from the sample. With this, we can simplify the  $3 \times 3$  permittivity matrix to a  $2 \times 2$  matrix, denoted as

$$\bar{\epsilon} = \begin{bmatrix} \epsilon_{xx}(\mathbf{r}) & \epsilon_{xy}(\mathbf{r}) \\ \epsilon_{yx}(\mathbf{r}) & \epsilon_{yy}(\mathbf{r}) \end{bmatrix}. \quad (4)$$

While this approximation may not always be accurate for every anisotropic sample when illuminated at high angles, it is accurate under up to a 25 deg oblique illumination, based on a study using finite-element analysis.<sup>23</sup> Additionally, we assume that the background medium is isotropic and uniform (i.e., not spatially dependent) with a diagonal permittivity tensor  $\bar{\epsilon}_0 = \epsilon_0 \mathbb{I}$ . This simplifies Green's tensor to a diagonal matrix with the same component for each polarization,<sup>23</sup>

$$\bar{G}(\mathbf{r}, \mathbf{r}') = \begin{bmatrix} G(\mathbf{r}, \mathbf{r}') & 0 \\ 0 & G(\mathbf{r}, \mathbf{r}') \end{bmatrix}. \quad (5)$$

$G(\mathbf{r}, \mathbf{r}') = G(r)$ , where  $r = |\mathbf{r} - \mathbf{r}'|$ , is the scalar Green's function that has a Weyl expansion,<sup>45,48</sup>

$$\frac{e^{jk_0 r}}{r} = \frac{1}{j2\pi} \int d\mathbf{u} \frac{e^{-j(\mathbf{u} \cdot \mathbf{x} + \eta|z|)}}{\eta}, \quad (6)$$

with wavenumber vectors in lateral [ $\mathbf{u} = (k_x, k_y)$ ] and axial ( $\eta = \sqrt{k_0^2 - |\mathbf{u}|^2}$ ) directions.  $k_0$  is the wavenumber of the isotropic background medium. This expansion is generally easier to work with when we prefer to represent the object in both lateral frequency and axial space domains.

In addition, we make the assumption that the sample being imaged is homogeneous, which is usually assumed for many types of crystals and biological samples.<sup>10,49</sup> The permittivity matrix is then symmetric and can be decomposed into<sup>49</sup>

$$\bar{\epsilon} = \begin{bmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{bmatrix} \begin{bmatrix} \epsilon_e & 0 \\ 0 & \epsilon_o \end{bmatrix} \begin{bmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{bmatrix}. \quad (7)$$

The variables  $\epsilon_o$  and  $\epsilon_e$  represent the permittivity values along the ordinary and extraordinary axes, respectively. The parameter  $\theta$  is the angle between the principal axis and the extraordinary axis (also known as the slow axis). Following the convention introduced by an early study,<sup>50</sup> we rename elements in Eq. (4) as

$$\begin{cases} \epsilon_1 = \epsilon_{xx} \\ \epsilon_2 = \epsilon_{yy} \\ \epsilon_3 = \epsilon_{xy} = \epsilon_{yx} \end{cases}. \quad (8)$$

Since we use left circularly polarized illumination, the transverse scattering potential becomes

$$\begin{bmatrix} V_1 & V_3 \\ V_3 & V_2 \end{bmatrix} \begin{bmatrix} 1 \\ j \end{bmatrix} = \begin{bmatrix} V_1 + jV_3 \\ V_3 + jV_2 \end{bmatrix}, \quad (9)$$

where

$$\begin{cases} V_1 = 4\pi k_0^2(\epsilon_1 - \epsilon_0) \\ V_2 = 4\pi k_0^2(\epsilon_2 - \epsilon_0) \\ V_3 = 4\pi k_0^2\epsilon_3 \end{cases} \quad (10)$$

Finally, we refer to Ling et al.<sup>51</sup> for two further approximations of the illumination and scattering processes. Our first assumption is that the illumination from each LED at the sample plane is a plane wave, which is commonly used in Fourier ptychographic computational microscopy.<sup>52</sup> The second approximation involves utilizing a weak object assumption that ignores the second-order scattering term.<sup>38,53,54</sup> Further, we disregard pupil aberration and model it as a low-pass filter  $P(\mathbf{u})$  with a cutoff frequency based on the numerical aperture of the objective lens.<sup>38</sup> The Jones matrix has been demonstrated feasible in the previous literature for the correction of anisotropic aberration by jointly reconstructing the pupil,<sup>30,31</sup> which is planned for future research. Based on these approximations, the forward model can be expressed as<sup>38</sup>

$$\begin{aligned} \tilde{I}^{l,m}(\mathbf{u}, z=0) &\approx \tilde{I}_0^{l,m}(\mathbf{u}, z=0) \\ &+ \int [H_{\text{Re}}^m(\mathbf{u}, z) \cdot \tilde{V}_{\text{Re}}^l(\mathbf{u}, z) + H_{\text{Im}}^m(\mathbf{u}, z) \cdot \tilde{V}_{\text{Im}}^l(\mathbf{u}, z)] dz, \end{aligned} \quad (11)$$

where  $\tilde{I}^{l,m}(\mathbf{u}, z)$  and  $\tilde{I}_0^{l,m}(\mathbf{u}, z)$  are 2D Fourier transform of the measurement and DC term from the  $m$ th LED illumination analyzed by the  $l$ th polarizer, respectively.

$$\begin{aligned} H_{\text{Re}}^m(\mathbf{u}, z) &= \frac{jk^2}{2} S(\mathbf{u}_m) \left\{ P^*(-\mathbf{u}_m) \frac{e^{-j[\eta_i + \eta(\mathbf{u} - \mathbf{u}_m)]z}}{\eta(\mathbf{u} - \mathbf{u}_m)} P(\mathbf{u} - \mathbf{u}_m) \right. \\ &\quad \left. - P(-\mathbf{u}_m) \frac{e^{j[\eta_i + \eta(\mathbf{u} + \mathbf{u}_m)]z}}{\eta(\mathbf{u} + \mathbf{u}_m)} P(-\mathbf{u} - \mathbf{u}_m) \right\} \end{aligned} \quad (12)$$

and

$$\begin{aligned} H_{\text{Im}}^m(\mathbf{u}, z) &= \frac{-k^2}{2} S(\mathbf{u}_m) \left\{ P^*(-\mathbf{u}_m) \frac{e^{-j[\eta_i + \eta(\mathbf{u} - \mathbf{u}_m)]z}}{\eta(\mathbf{u} - \mathbf{u}_m)} P(\mathbf{u} - \mathbf{u}_m) \right. \\ &\quad \left. + P(-\mathbf{u}_m) \frac{e^{j[\eta_i + \eta(\mathbf{u} + \mathbf{u}_m)]z}}{\eta(\mathbf{u} + \mathbf{u}_m)} P(-\mathbf{u} - \mathbf{u}_m) \right\}, \end{aligned} \quad (13)$$

are the diffractive transfer functions in frequency and space for the real and imaginary part of the scattering potential under the  $m$ th LED illumination with shape  $S^m(\mathbf{u}')$ .<sup>53,55</sup> Since each LED has a very small die area ( $<170 \mu\text{m}$  in diameter), we represent it as a delta function.  $l \in \{0 \text{ deg}, 45 \text{ deg}, 90 \text{ deg}, 135 \text{ deg}\}$ .  $\tilde{V}_{\text{Re}}^l(\mathbf{u}, z)$  and  $\tilde{V}_{\text{Im}}^l(\mathbf{u}, z)$  are 2D Fourier transforms of  $V_{\text{Re}}^l(\mathbf{r})$  and  $V_{\text{Im}}^l(\mathbf{r})$  along lateral directions at depth  $z$ , respectively, and are related to Eq. (10) via

$$\begin{cases} V_{\text{Re}}^{0 \text{ deg}}(\mathbf{r}) + jV_{\text{Im}}^{0 \text{ deg}}(\mathbf{r}) = V_1(\mathbf{r}) + jV_3(\mathbf{r}) \\ V_{\text{Re}}^{45 \text{ deg}}(\mathbf{r}) + jV_{\text{Im}}^{45 \text{ deg}}(\mathbf{r}) = \frac{\sqrt{2}}{2} [V_1(\mathbf{r}) + V_3(\mathbf{r}) \\ \quad + j\frac{\sqrt{2}}{2} [V_2(\mathbf{r}) + V_3(\mathbf{r})]] \\ V_{\text{Re}}^{90 \text{ deg}}(\mathbf{r}) + jV_{\text{Im}}^{90 \text{ deg}}(\mathbf{r}) = V_3(\mathbf{r}) + jV_2(\mathbf{r}) \\ V_{\text{Re}}^{135 \text{ deg}}(\mathbf{r}) + jV_{\text{Im}}^{135 \text{ deg}}(\mathbf{r}) = \frac{\sqrt{2}}{2} [-V_1(\mathbf{r}) + V_3(\mathbf{r}) \\ \quad + j\frac{\sqrt{2}}{2} [V_2(\mathbf{r}) - V_3(\mathbf{r})]] \end{cases}, \quad (14)$$

which are the scattering potential components corresponding to each analyzer angle. We want to point out that  $V_{1,2,3}(\mathbf{r})$  are complex variables that may have imaginary parts; hence, the above equation does not imply  $\tilde{V}_{\text{Re}}(\mathbf{r}) = V_1(\mathbf{r})$ , for example.

For concise expression, we define a new variable  $\mathbf{v} \in \mathbb{C}^{N \times M \times T \times 3}$  representing all the potentials  $V_1(\mathbf{r})$ ,  $V_2(\mathbf{r})$ , and  $V_3(\mathbf{r})$ , where  $N, M, T$  are width, height, and depth of the 3D sample, respectively. Further, we introduce the operator  $\mathcal{A}^{l,m}(\cdot)$  as the forward model for the sample illuminated by the  $m$ th LED and analyzed by the  $l$ th linear polarizer. To reconstruct the permittivity matrix, we formulate the inverse problem as

$$\mathbf{v} = \arg \min_{\mathbf{v}} \mathcal{L}(\mathbf{v}), \quad (15)$$

with the loss function

$$\mathcal{L}(\mathbf{v}) = \sum_l \sum_m \|\mathcal{A}^{l,m}(\mathbf{v}) - \tilde{I}^{l,m}(\mathbf{u}, z)\|_2^2 + \gamma \text{tv}(\mathbf{v}). \quad (16)$$

$\text{tv}(\cdot)$  is the isotropic total variation operator.  $\gamma$  is a regularization parameter empirically set to be  $1 \times 10^{-6}$  for all experiments. The forward model is implemented in PyTorch, and the loss function is optimized using a stochastic gradient descent method with Nesterov momentum acceleration.<sup>56,57</sup>

Subsequently, we extract polarization properties of interest, such as orientation and birefringence from T<sup>2</sup>oFu reconstructions  $\epsilon_{1,2,3}$ . First, the orientation to the slow axis can be computed as

$$\theta = \begin{cases} \frac{1}{2} \arctan 2\epsilon_3/\epsilon_2 - \epsilon_1, & \text{if } \epsilon_1 - \epsilon_2 > 0 \\ \frac{1}{2} \arctan 2\epsilon_3/\epsilon_2 - \epsilon_1 + \frac{\pi}{2}, & \text{otherwise} \end{cases}. \quad (17)$$

We can then derive the permittivity of ordinary and extraordinary axes,

$$\begin{cases} \epsilon_o = \bar{\epsilon} - 1/2\Delta\epsilon \\ \epsilon_e = \bar{\epsilon} + 1/2\Delta\epsilon \end{cases}, \quad (18)$$

where

$$\begin{cases} \bar{\epsilon} = \frac{\epsilon_1 + \epsilon_2}{2} \\ \Delta\epsilon = \left| \frac{\epsilon_1 - \epsilon_2}{\cos 2\theta} \right| \end{cases}. \quad (19)$$

Moreover, the refractive index along the ordinary and extraordinary axes  $n_{o,e} = \sqrt{\epsilon_{o,e}}$  can be further derived, along with the averaged refractive index ( $n = n_o + n_e$ ) and birefringence ( $\Delta n = n_e - n_o$ ).

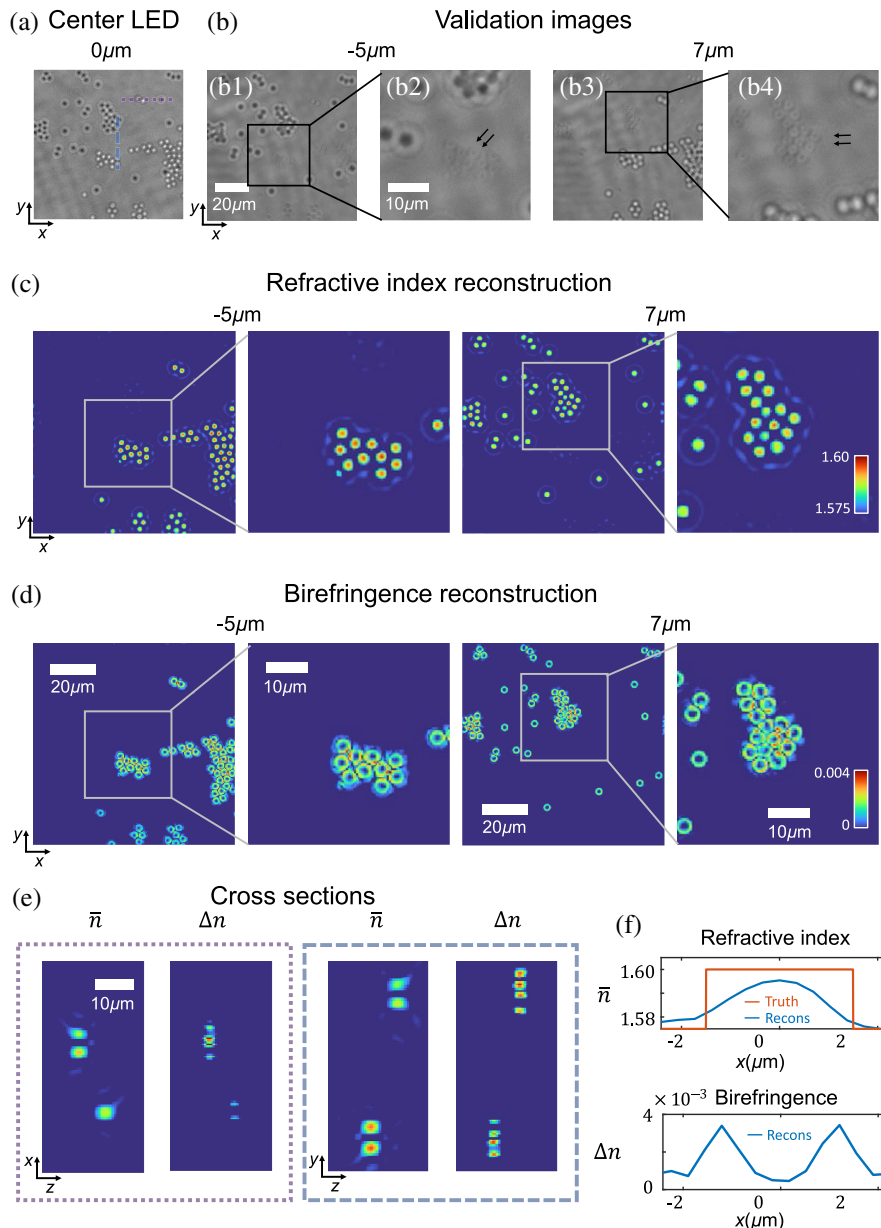
### 3 Experimental Results

To validate the performance of the proposed method, we first show results from a variety of calibration targets. Due to the lack of a commercially available high-resolution 3D polarization phantom, we follow previous works to validate different aspects

separately.<sup>27,31,33,58</sup> We then show reconstructions of a single fixed muscle fiber. Finally, we show reconstructions of a tissue section sample from a human heart biopsy that is predictive for lethal cardiac amyloidosis. Additional validation for resolution and reconstruction accuracy based on numerical simulation is also provided in Sec. 1 in the [Supplementary Material](#). All the images presented here are captured and then reconstructed using a 20 $\times$ , 0.4 NA system, except for the cardiac tissue, which is recorded and processed with a 10 $\times$ , 0.25 NA system.

### 3.1 Tomographic Reconstruction

In this subsection, we demonstrate tomographic reconstructions of averaged refractive index  $\bar{n}$  and birefringence  $\Delta n$  from isotropic and anisotropic calibration samples. These results are acquired with a 20 $\times$  objective (0.4 NA, Olympus, Japan) imaging system. Figure 2(a) shows the image captured with center LED illumination when the imaging system is focused at the middle of a polystyrene microsphere sample. The sample is



**Fig. 2** Reconstruction results for polystyrene microspheres. (a) and (b) 0 deg-polarization intensity images of the sample illuminated with center LED. (a) The data are captured when focused at  $z = 0 \mu\text{m}$ . (b) Images were captured when focused at  $-5$  and  $7 \mu\text{m}$  by mechanically moving the sample. These images serve as a reference to be compared with the reconstruction. (c)–(e) The reconstructed refractive index and birefringence. All columns in (c) and (d) share the same scale bar; all the refractive index reconstructions (c), as well as all birefringence reconstructions (d) and all cross sections (e) share the same color bar. (e) Cross sections of the reconstruction in places color labeled in (a). (f) The profile of reconstruction averaged over 10 microspheres.

made of two layers of  $3\ \mu\text{m}$ -diameter microspheres immersed in  $n = 1.575$  oil. Figure 2(b) shows images taken with center LED illumination when focused at different depths. The arrows in Fig. 2(b) highlight the microspheres that are in focus, suggesting two layers of microspheres are placed at  $-7$  and  $5\ \mu\text{m}$  planes. Note that since the refractive index of polystyrene ( $n = 1.60$  @  $520\ \text{nm}$ ) is very close to the background medium, the contrast of in-focus microspheres is very low. Figures 2(c) and 2(d) show the reconstructed refractive index and birefringence at two different depths. The accuracy of the tomographic depth reconstruction is validated with images displayed in Fig. 2(b). Since polystyrene is an isotropic material, the reconstruction shows no anisotropy properties except on the edge, which agrees with the well-recognized edge birefringence phenomena<sup>59</sup> reported in prior literature.<sup>31,33</sup> Figure 2(e) shows the cross sections of the reconstructed refractive index and birefringence. Figure 2(f) plots the profile of the reconstructed birefringence and refractive index averaged across 10 microspheres.

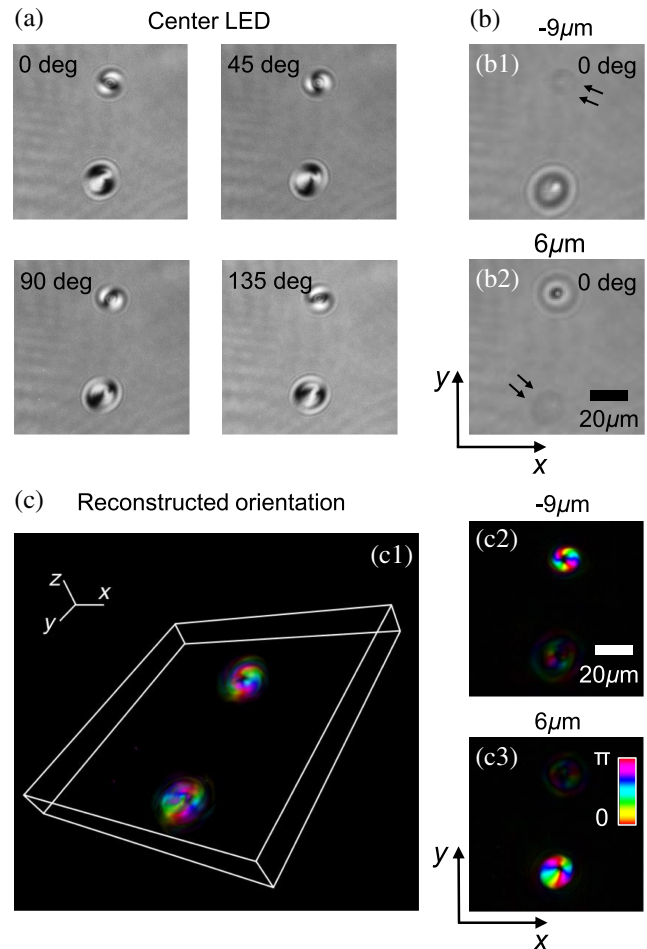
In addition, we show reconstructions of an anisotropic potato starch sample in Fig. 3. The sample consists of two potato starch grains immersed in  $n = 1.515$  oil at different depths. Figure 3(a) depicts captured intensity images illuminated with the center LED at four different polarizations. We can see the spiral patterns imaged with different polarization differ from each other noticeably. Similarly, Fig. 3(b) shows images when the system is focused at different depths of the sample. The black arrows point at grains that are in focus, suggesting the two potato starch grains are suspended at  $-9$  and  $6\ \mu\text{m}$ . Figure 3(c) shows the reconstructed orientation and birefringence. To best visualize the results, we follow the convention<sup>21,27,31</sup> of displaying this multi-dimensional data using an HSV color map, where saturation is set to one, value is associated with birefringence, and orientation is coded in hue. The reconstructed structures agree with starch grain reconstructions reported in previous holography-based literatures.<sup>23,25</sup>

### 3.2 Orientation Measurement

To verify the accuracy of the reconstructed orientation, we test our method on a sample made with monosodium urate (MSU). MSU is a needle-shaped crystal precipitated from uric acid that could trigger robust inflammation such as acute arthritis and other immune activations that cause severe pain in patients.<sup>60</sup> Figure 4(a) displays the reconstructed birefringence and orientation at two slightly different depths. These results were also obtained with a  $20\times$  objective imaging system and suggest that the reconstructed orientation values of line-shaped MSU crystals follow the structural direction (labeled next to each MSU crystal). This is in agreement with reconstruction results from LC-PolScope-based methods found in the literature.<sup>27,58</sup> Additionally, Fig. 4(b) presents a 3D rendering of the reconstructed birefringence.

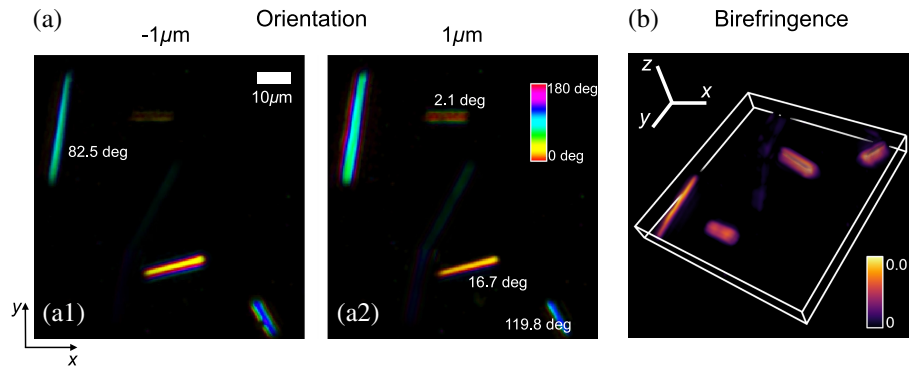
### 3.3 Muscle Fiber Assessment

High-contrast and high-resolution structural imaging of intrinsic signals in muscle skeletal fibers is an important task for the rapid detection of changes in myofibrillar organization that can lead to skeletal myopathies. Currently, 3D muscle tissue is typically imaged by complex and expensive systems, such as second-harmonic generation (SHG) microscopy. SHG exploits the contrast of polarization properties from the nonlinear susceptibility in molecules like myosin, by using high-power, ultrashort

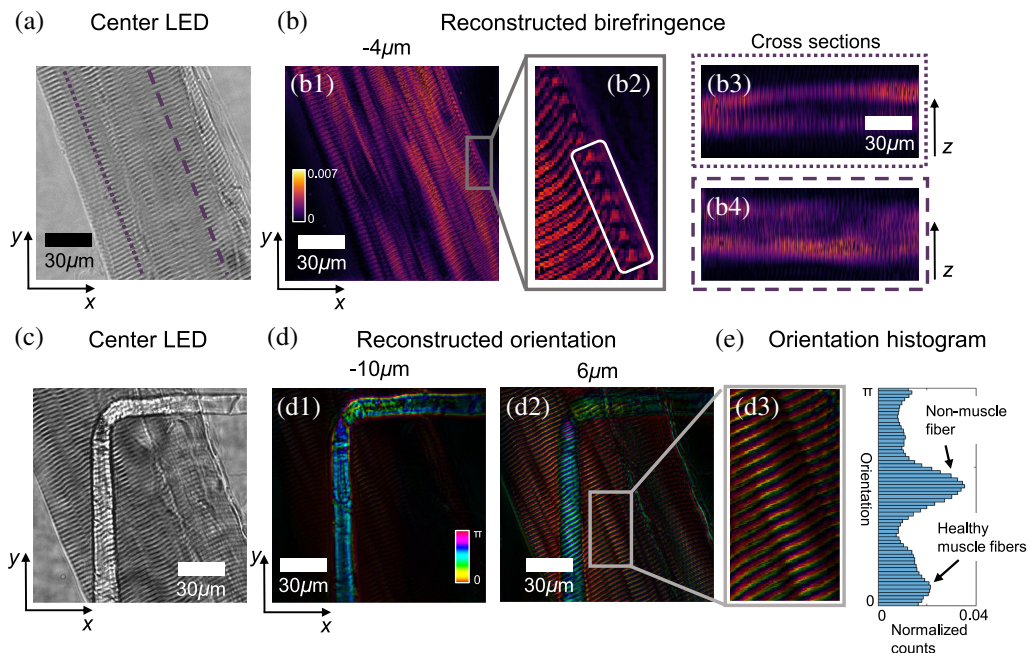


**Fig. 3** Reconstruction results of potato starch grain. (a) Polarized intensity measurements from the center LED. (b) Images taken when focused at  $-9$  and  $6\ \mu\text{m}$  serve as a reference for validating the reconstruction, from which we can see adjacent  $2 \times 2$  pixels that have different intensities due to sample-introduced polarization changes. (c) Tomographic reconstruction of the sample. The orientation is coded in color, while the birefringence is represented as brightness. All the images in (c) share the same color bar.

pulsed lasers in a point scanning configuration.<sup>35</sup> Here we show 3D T<sup>2</sup>oFu, reconstruction results of an isolated healthy muscle fiber using our inexpensive, LED-based, and scanning-free system, which generally shows similar results as described for SHG imaging in the literature.<sup>35</sup> Figure 5(a) shows an image of a muscle fiber captured with center LED illumination. Figure 5(b) shows a volumetric reconstruction of the muscle fiber. The cross sections of regions highlighted in Fig. 5(a) are depicted. Figure 5(c) shows an image of the same muscle fiber from a different field of view, where a non-muscle fiber with a 90 deg bend is placed below the muscle fiber. Figure 5(d) depicts reconstructed orientation and birefringence at two different depths, showing the regular pattern of a healthy muscle fiber. The zoom-in region highlights the muscle grains with consistent orientations, in agreement with the results reported by Both et al.<sup>35</sup> The reconstruction shows a change in orientation at the bend of the non-muscle fiber [Fig. 5(d1)], while the orientation of the muscle fiber remains constant. Furthermore, the



**Fig. 4** Reconstructions of MSU crystals. (a) The reconstructed polarization orientation of the crystals at two different depths, labeled with their respective structural directions. (b) The birefringence reconstruction of the sample in 3D.



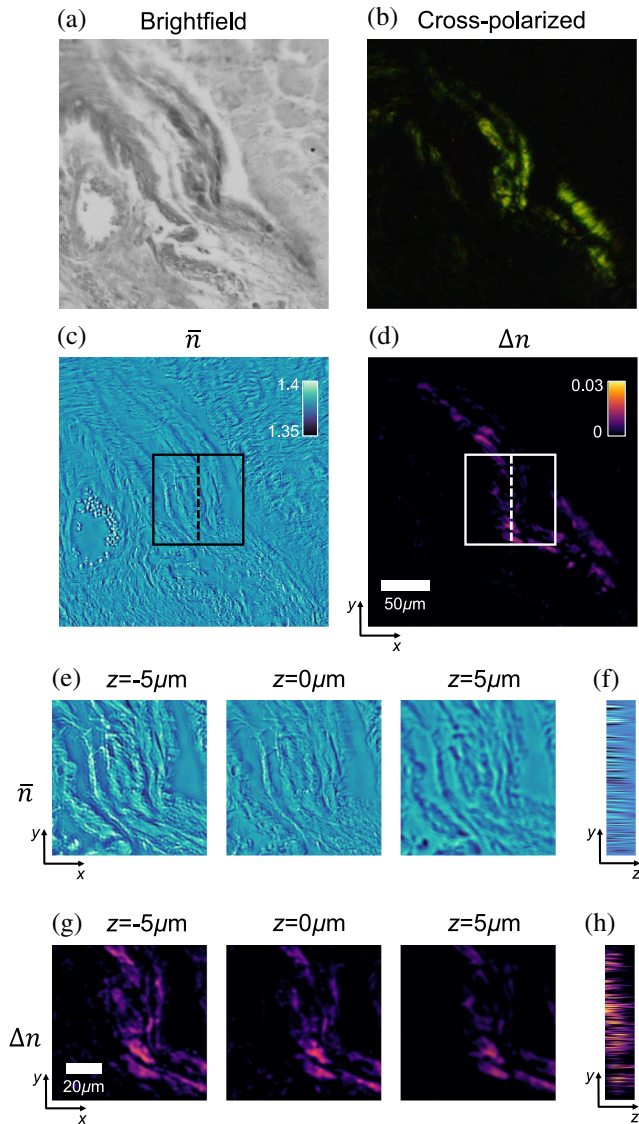
**Fig. 5** Reconstructions of a muscle fiber. (a) The image of a muscle fiber with the center LED illumination. The imaging system is focused in the middle of the muscle fiber. (b) The reconstructed birefringence. The zoom-in region resembles the structures of healthy muscle fibers reported in literature.<sup>35</sup> (c) The image of the same muscle fiber at a different region, where a non-muscle fiber with a 90-deg bend is placed below the muscle fiber [see panel (d1)]. The imaging system is focused between this and the muscle fiber. (d) The reconstructed orientation at different depths, with a zoom-in showing the fine sarcomere structure of muscle tissue. (e) Histogram of reconstructed orientation shown in (d).

spatial resolution of the reconstruction is sufficient to clearly resolve the muscle filaments [Fig. 5(d3)]. Figure 5(e) shows a histogram of orientation of the reconstruction shown in Fig. 5(d), indicating two different types of cells.

### 3.4 Imaging Cardiac Amyloidosis

Finally, we apply our method to image a heart tissue sample that has cardiac amyloidosis. Cardiac amyloidosis is a lethal disease that affects  $<12,000$  patients in the US alone, with a  $<5\%$  10-year survival rate.<sup>61</sup> In current practice, the biopsied tissue is

first frozen and thinly sliced, then stained with a congo red-colored dye, and inspected under a cross-polarized microscope. Figure 6(a) shows the bright-field image. Figure 6(b) shows the same region, imaged with a cross-polarized color microscope. The vibrant apple green color suggests mostly likely amyloid protein has built up inside the tissue sample. Figures 6(c) and 6(d) depict the reconstructed refractive index and birefringence, while zoom-ins of the boxed region are shown in Figs. 6(e)–6(h). Figures 6(e) and 6(g) show lateral slices at different depths, while Figs. 6(f) and 6(h) show cross sections of the region highlighted with dashed lines in Figs. 6(c) and 6(d). Since the sample



**Fig. 6** Images of a heart tissue sample with cardiac amyloidosis. (a) A brightfield image. (b) A cross-polarized image was taken with a color microscope. (c) and (d) Reconstructed refractive index and birefringence, along with zoom-ins of the boxed region depicted in (e)–(h). (e) and (g) Lateral slices at different depths; (f) and (h) cross sections of the region highlighted with dashed lines in (c) and (d). Panels (c), (e) and (f) share the same color bar, while (d), (g), and (h) share another common color bar.

is thinly sliced, we do not observe noticeable structural changes in different layers. However, the structure of the birefringence reconstruction is correlated with the color-stained cross-polarized image, which could potentially be useful for rapid on-site inspections in the future.

## 4 Discussion and Conclusion

In this article, we introduce T<sup>2</sup>oFu, a new non-scanning microscopy method that reconstructs volumetric permittivity metrics of samples based on computational illumination strategies to record polarized measurements and retrieve phase information. Using relatively low-NA objectives, we demonstrate that T<sup>2</sup>oFu

can provide polarization-sensitive tomographic reconstruction for various calibration samples and biological specimens that are potentially useful for future scientific and clinical studies. This particular experimental demonstration relies on the paraxial approximation, which holds up fairly well for illumination angles  $< 25$  deg.<sup>23,31</sup> However, previous studies have already demonstrated that even higher illumination angles still enable accurate reconstruction of the lateral parts of the permittivity matrix.<sup>23,24</sup> Another potential limitation could be the effect of scattering on the reconstruction. Although the theoretical derivation of our method employs a weak object assumption and does not account for multiple scattering, in practice, we find that our method is capable of reconstructing thick biological tissue samples very well. We tested the approach on thin, stained tissue sections, like the cardiac tissue and on thicker, unstained muscles samples of  $> 20$   $\mu\text{m}$  thickness. In the future, it might be promising to test our approach on optically cleared samples, as clearing is known to reduce scattering to enable imaging at greater tissue depths and has already been reported for imaging entire muscles using SHG imaging.<sup>62</sup> Furthermore, we aim to carry out a direct one-to-one comparison between the established SHG imaging and our new T<sup>2</sup>oFu technique for the same muscle samples in the near future.

To ensure successful clinical translation, there are a few improvements that can be made in the next step. First, to increase the frame rate of T<sup>2</sup>oFu, high flash-rate LEDs need to be deployed.<sup>63</sup> Novel sensitive camera sensors<sup>64,65</sup> will also play important roles in maintaining a good signal-to-noise ratio. In terms of the reconstruction algorithm, as a first demonstration, we use a gradient-based method implemented with auto-differentiation to optimize the loss function in Eq. (16).<sup>56</sup> As the data fidelity term has a closed-form solution, variable-splitting methods can be very effective and allow incorporating advanced regularization that does not have implicit forms.<sup>42,66</sup> In addition, data-driven reconstruction approaches can also be deployed to further accelerate the image reconstruction.<sup>67,68</sup> Finally, concerning modeling, to relieve the ill-posedness of the problem, we have approximated the permittivity tensor with its lateral components in this work. Albeit widely used,<sup>23,26,27,31</sup> this simplification disregards out-of-plane anisotropy. Recent works have shown under uniaxial approximation, tomography of 3D polarization orientation can be retrieved.<sup>33</sup> Further investigation in this direction to extend the current method to extract valuable out-of-plane information is planned.<sup>33,69</sup>

## Disclosures

S.X., X.D., L.K., J.N, C.G., and R.H. have submitted a patent application related to this work, assigned to Duke University. All other authors declare no conflicts of interest.

## Code and Data Availability

The code underlying the results presented in this paper is not publicly available at this time but may be obtained from the authors upon reasonable request for non-commercial use.

## Ethical Approval

Animal tissue sample studies were approved by the Friedrich-Alexander-University Erlangen-Nürnberg. All mice were maintained in the animal facility in a 12-h light–dark cycle with access to food and water. Human tissue sample studies were



conducted with approval from the Duke University Health System Institutional Review Board (DUHS IRB). The DUHS IRB determined that the following protocol meets the criteria for a declaration of exemption from further IRB review as described in 45 CFR 46.101(b), 45 CFR 46.102 (f), or 45 CFR 46.102 (d), satisfies the Privacy Rule as described in 45 CFR 164.512(i), and satisfies Food and Drug Administration regulations as described in 21 CFR 56.104, where applicable.

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**Shiqi Xu** obtained his PhD from Duke University. During this time, he developed computational algorithms for novel sensor arrays to image objects with gigapixel resolution. He also holds an MS degree from Washington University, where he worked on compressive imaging and non-invasive smart LiDAR systems for cancer diagnosis.

**Xi Yang** is a PhD student in the BME Department at Duke University. She received her BS degree in physics from Nankai University. She has worked on self-accelerating beam and two-photon microscopy projects during her undergraduate research. Now, she is helping to develop the new generation of Fourier ptychography microscopy in Dr. Horstmeyer’s Group, after completing her master’s degree in the BME Department at Duke University.

**Paul Ritter** is a group leader at the Institute of Medical Biotechnology, Friedrich-Alexander-Universität, passionate about medical biotechnology and bioreactor technologies. He has developed a novel bioreactor system that provides automated and standardized generation of cellular muscle scaffolds and is capable of monitoring and adjusting the progress on-the-fly.

**Xiang Dai** is a PhD student at University of California San Diego (UCSD), working on computational imaging, computational photography, neuro-imaging, and ocean microscopy. Before arriving at UCSD, he was an MS student at Duke University, studying computational microscopy.

**Kyung Chul Lee** is a PhD student in electrical engineering at Yonsei University advised by Prof. Seung Ah Lee. Additionally, he had the opportunity to work in the Biomedical Engineering Department at Duke University with Prof. Roarke Horstmeyer’s Lab supported by the Graduate Biomedical Research Fellowship funded by the Korean Government. His research is focused on computational imaging and microscopy, functional imaging system design, and machine-learning for bio-medical imaging. He has particular experience with Fourier ptychographic microscopy (FPM), phase mask-based lensless imaging, and speckle imaging using speckle statistics. He is also open to exploring computational deep learning techniques aiming for joint optimization of hardware and software.

**Lucas Kreiss** is interested in the applications of optical technologies to biomedical sciences. He works on diffuse correlation spectroscopy for label-free imaging of brain activity. Additionally, he learns more about how machine learning can provide computational specificity, for instance for digital staining of label-free imaging. Before coming to Duke University, he developed, engineered, and applied optical systems, such as multiphoton imaging, Raman spectroscopy, and diffuse reflectance spectroscopy. His multiphoton endomicroscope was particularly fascinating since it allowed label-free, *in vivo* imaging of the bowel at cellular resolution, without requiring surgery or biopsy samples.

**Kevin C. Zhou** is a 2022 Schmidt Science Fellow and postdoc at UC Berkeley, working with Profs. Laura Waller and Hillel Adesnik. Before that, he was a postdoc (with Prof. Roarke Horstmeyer) and PhD student (with Profs. Joseph Izatt, Warren Warren, and Sina Farsiu) at Duke University. His research interests are broadly in computational imaging, coherent (and incoherent) optical imaging, tomographic reconstruction algorithms, inverse problems, and machine learning. He has particular experience with optical coherence tomography (OCT), camera array-based microscopy, Fourier ptychography, diffraction tomography, and

nonlinear microscopy, but he's always open to exploring and applying computational optimization techniques to other forms of imaging!

**Kanghyun Kim** is currently pursuing a PhD in biomedical engineering. He recently completed an MS degree in electrical and computer engineering at Duke University. He received his BS degree in statistics and a minor in computer science from Chung-Ang University. His research focuses on designing task-specific microscopes using a deep neural network to improve image classification accuracy.

**Amey Chaware** is a student focused on making a new breed of task-based optical systems. He is increasingly using machine learning to process the images taken. Instead of optimizing the two components—optics and algorithms—separately and sequentially, he treats the entire chain as a single system and develop an end-to-end optimization framework. Such a learning-based framework can potentially create better sensor systems for a variety of tasks.

**Jadee Neff** is a hematopathologist and molecular genetic pathologist at Duke University. Her clinical interests are focused on the histologic examination of tissue and bone marrow biopsies to diagnose hematologic malignancies (leukemia, lymphoma, myeloma, etc.) as well as testing DNA from tumors or from blood to detect inherited or acquired mutations that can guide therapeutic management and predict clinical outcomes. Her research interests involve understanding the biology of chronic leukemias/lymphomas of cytotoxic lymphocytes; defining the immunomodulatory response to neoplastic disease; developing methods to monitor immune response and thereby refine tumor immunotherapy; and exploring novel applications of tumor genetics in the diagnosis, prognosis, and management of cancer.

**Carolyn Glass** is an associate professor of pathology and a cardiothoracic pathologist at Duke University. She has research interests in development, new molecular biomarkers, and epigenetics. She completed medical residency in anatomic pathology at Brigham and Women's Hospital, Harvard Medical School, followed by fellowships in cardiothoracic pathology also at Brigham and Women's Hospital, Harvard Medical School, and pulmonary/cardiac transplant pathology at the University

of Texas Southwestern Medical Center. She initially trained as a vascular surgeon with a focus on endovascular/interventional procedures through the 0+5 Integrated Vascular Surgery Program at the University of Rochester Medical Center from 2007 to 2011. As a recipient of the NIH National Lung Blood Institute T32 Ruth Kirschstein National Service Research Award, she completed a PhD with a concentration in genomics and epigenetics in 2014.

**Seung Ah Lee** is an associate professor at the School of Electrical and Electronic Engineering at Yonsei University. Prior to Yonsei University, she was a scientist at Verily Life Sciences, and a former Google [x] team member. She received her PhD in electrical engineering at Caltech in 2014 and underwent postdoctoral training at Stanford Bioengineering. She completed her BS and MS degrees in electrical engineering at Seoul National University in 2007 and 2009.

**Oliver Friedrich** is the head of Institute of Medical Biotechnology at Friedrich-Alexander-Universität (FAU). He had a quite diverse education, studying medicine and physics at University of Heidelberg, then specializing as physiologist and biophysicist before finally ending up at FAU as biotechnologist with a strong focus on label-free optical technologies development and applications. In between, he spent a year in Brisbane at the University of Queensland and has been going back and forth between Germany and Australia ever since. In Erlangen, he directs the Institute of Medical Biotechnology.

**Roarke Horstmeyer** is an assistant professor in the Biomedical Engineering Department at Duke University. He develops microscopes, cameras, and computer algorithms for a wide range of applications, from forming 3D reconstructions of organisms to detecting neural activity deep within tissue. His areas of interest include optics, signal processing, optimization, and neuroscience. Most recently, he was a guest professor at the University of Erlangen in Germany and an Einstein postdoctoral fellow at Charité Medical School in Berlin. Prior to his time in Germany, he earned his PhD from Caltech's Electrical Engineering Department in 2016, his Master of Science degree from MIT Media Lab in 2011, and his bachelor's degree in physics and Japanese from Duke University in 2006.